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Dynamic Models of R&D, Innovation and Productivity: Panel Data Evidence for Dutch and French Manufacturing*

Wladimir Raymond[†], Jacques Mairesse[‡], Pierre Mohnen[§] and Franz Palm[¶]

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Abstract

This paper introduces dynamics in the R&D to innovation and innovation to productivity relationships, which have mostly been estimated on cross-sectional data. It considers four non-linear dynamic simultaneous equations models that include individual effects and idiosyncratic errors correlated across equations and that differ in the way innovation enters the conditional mean of labor productivity: through an observed binary indicator, an observed intensity variable or through the continuous latent variables that correspond to the observed occurrence or intensity. It estimates these models by full information maximum likelihood using two unbalanced panels of Dutch and French manufacturing firms from three waves of the Community Innovation Survey. The results provide evidence of robust unidirectional causality from innovation to productivity and of stronger persistence in productivity than in innovation.

Keywords: R&D, Innovation, Productivity, Panel data, Dynamics, Simultaneous equations

JEL classification: C33, C34, C35, L60, O31, O32

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1 Introduction

For decades, R&D and innovation have been recognized by scholars and policy makers as major drivers of country, industry and firm economic performance. Many of the early studies, following the lead of [Griliches \(1979\)](#), have used an augmented production function with R&D capital to estimate the returns to R&D at the firm level. More recently, many studies have relied on innovation survey indicators and on the CDM framework to analyze simultaneously a knowledge production function relating innovation output to R&D, and an augmented production function linking productivity to innovation output ([Crépon et al., 1998](#); [Mairesse et al., 2005](#); [Griffith et al., 2006](#)). Both the effects of R&D on innovation output and of innovation output on productivity are usually found to be positive and significant in these studies. Most of them, however, are based on cross-sectional data and cannot take into account the dynamic linkages between innovation and economic performance nor unobserved firm heterogeneity. This is where the present study comes into play.¹ More specifically, using data from three waves of the Community Innovation Survey (CIS) for France and the Netherlands, we examine whether there is evidence of persistence in firm innovation and productivity and of bidirectional causality between them.

There are several reasons why one should introduce dynamics in the interrelationships between R&D, innovation and productivity. Firstly, the time lag between a firm's decision to invest in R&D, the associated R&D outlays and the resulting innovation success may be substantial because of 'time to build', opportunity cost and uncertainty inherent to the innovation process ([Majd and Pindyck, 1987](#)). For example, the studies of knowledge production function on firm panel data, where patents proxy for knowledge, specify a relation of patents to distributed lags of R&D ([Pakes and Griliches, 1980](#); [Hall et al., 1986](#)). Secondly, scholars argue that a successfully innovative firm is more likely than a non-innovating firm to experience innovation success in the future, in other words, that 'success breeds success'. Several papers have investigated the persistence of innovation success, measured by the number of granted patents ([Geroski et al., 1997](#)), the introduction of new or significantly improved products ([Peters, 2009](#)) or production methods ([Flaig and Stadler, 1994](#)), or the share in total sales accounted for by sales of these products (henceforth the share of innovative sales) ([Raymond et al., 2010](#)). Thirdly, it is also argued that the economic performance of a firm, especially of a repeatedly innovating firm, is likely to exhibit persistence. For instance, [Bailey et al. \(1992\)](#), [Bartelsman and Dhrymes \(1998\)](#), and [Fariñas and Ruano \(2005\)](#) find strong evidence of persistence of firm level productivity differentials using transition probabilities on the quintiles or deciles of the distribution of these differentials over time, or using kernel techniques

¹See also [Parisi et al. \(2006\)](#) and [Huergo and Moreno \(2011\)](#) for two different attempts to go in this direction.

to estimate the conditional distribution of firm level productivity at period t given productivity at period $t - 1$. Finally, because of information asymmetry, firms may be more willing to rely on retained earnings rather than to seek external funding for their future innovations (Bhattacharya and Ritter, 1983), implying a feedback effect from productivity to innovation.

To investigate these dynamic aspects, we study four nonlinear dynamic simultaneous equations models that differ in the way that innovation enters the conditional mean of labor productivity: through an observed binary indicator, an observed intensity variable or through the continuous latent variables that correspond to the observed occurrence or intensity. We describe these models in detail in Section 2.

We show in Section 3 how to derive the full information maximum likelihood estimator assuming random effects that are correlated with sufficiently time-varying explanatory variables. More specifically, we take care of the initial conditions problem due to the autoregressive structure of the models and the presence of firm effects using Wooldridge’s (2005) ‘simple solutions’ approach, and we handle multiple integration due to the correlations of firm effects and idiosyncratic errors across equations using Gauss-Hermite quadrature sequentially along the lines of Raymond (2007, chapter 6).

In Section 4, we explain the data on which we base our estimations and provide some descriptive statistics. These data come from three waves of the Dutch and the French Manufacturing Community Innovation Surveys (CIS) for 1994-1996, 1998-2000 and 2002-2004, supplemented by a few firm accounting variables. We work with an unbalanced panel to have a larger sample and thus to weaken possible survivorship biases and to obtain more accurate estimates.

In Section 5 we present our results. For both countries they reveal strong persistence in productivity but weaker persistence in innovation, and they indicate a unidirectional causality running from innovation to labor productivity. Whereas past innovation matters to productivity, the most productive enterprises are not more successful in introducing new or significantly improved products and do not attain larger shares of innovative sales than the least productive ones.

2 Model specifications

Our models consist of a knowledge production function and an augmented production function relating respectively innovation output to R&D and other relevant innovation factors, and productivity to innovation output and other relevant production factors. Four variables of innovation output are considered in the analysis. The first is an *observed* binary variable taking the value one if an enterprise is a product innovator, and zero otherwise. In the innovation survey, an enterprise

is asked whether it has introduced at least one new or improved product on the market in the last three years. A product innovator is an enterprise that has responded positively to this question. The second variable is the observed share of innovative sales, or observed innovation intensity. This variable is directly reported by the enterprise when filling out the questionnaire of the innovation survey. The share of innovative sales is taken with respect to sales reported in the last year of the three-year period. Finally we consider the two continuous *latent* innovation output variables that underly respectively the propensity to introduce new or improved products on the market and the potential share of innovative sales.

2.1 Knowledge production function (KPF)

Let y_{1it}^* denote a latent variable underlying firm i 's ($i = 1, \dots, N$) propensity to achieve product innovations at period t ($t = 0_i, \dots, T_i$) given past observed occurrence of product innovations $y_{1i,t-1}$, past labor productivity $y_{3i,t-1}$, past R&D and other firm- and market-specific characteristics \mathbf{x}_{1it} , and unobserved firm heterogeneity α_{1i} .² Formally

$$y_{1it}^* = \vartheta_{11}y_{1i,t-1} + \vartheta_{13}y_{3i,t-1} + \beta_1'\mathbf{x}_{1it} + \alpha_{1i} + \varepsilon_{1it}, \quad (2.1)$$

where ϑ_{11} and ϑ_{13} capture the effect of past product innovation occurrence and past productivity on the propensity to innovate, β_1' captures the effects of past R&D and other explanatory variables and ε_{1it} denotes idiosyncratic errors encompassing other time-varying unobserved variables that affect y_{1it}^* . The observed dependent variable, y_{1it} , corresponding to y_{1it}^* is defined as

$$y_{1it} = \mathbf{1}[y_{1it}^* > 0], \quad (2.2)$$

where $\mathbf{1}[\]$ denotes the indicator function taking the value one if the condition between squared brackets is satisfied, and zero otherwise.

Let y_{2it}^* denote the firm's latent share of innovative sales, or potential innovation intensity, given past observed innovation intensity $y_{2i,t-1}$, past labor productivity $y_{3i,t-1}$, past R&D and other firm- and market-specific characteristics \mathbf{x}_{2it} , and firm-specific effects α_{2i} . Formally

$$y_{2it}^* = \vartheta_{22}y_{2i,t-1} + \vartheta_{23}y_{3i,t-1} + \beta_2'\mathbf{x}_{2it} + \alpha_{2i} + \varepsilon_{2it}, \quad (2.3)$$

where the coefficients ϑ_{22} and ϑ_{23} capture the effect of past observed share of innovative sales and

²By letting t vary from 0_i to T_i , we allow firms to enter and exit the sample at different periods. 0_i denotes the first observation of firm i in the unbalanced panel data sample and T_i its last observation.

past labor productivity on the potential innovation intensity, β'_2 captures the effect of past R&D and other explanatory variables and ε_{2it} denotes idiosyncratic errors. The observed counterpart to y_{2it}^* is defined as

$$y_{2it} = \mathbf{1}[y_{1it}^* > 0]y_{2it}^*. \quad (2.4)$$

In other words, the share of innovative sales of firm i is observed to be positive in period t if its innovation propensity is sufficiently large in that period. If not, the share of innovative sales is set equal to zero.

The product innovation indicator and the share of innovative sales variables are taken from the innovation survey of the two countries. Since the share of innovative sales lies within the unit interval, we use a logit transformation in the estimation in order to normalize it over the entire set of real numbers.³

The set of other explanatory variables includes the log R&D per employee, the log market share, and size, industry and time dummy variables.⁴ Due to the lengthy nature of research and innovation activities, we use lagged R&D to explain innovation occurrence and innovation intensity. Since we cannot construct a stock measure of R&D, we restrict ourselves to R&D expenditures of continuous R&D performers. We include a lagged dummy variable for non-continuous R&D performers to compensate for the fact that we use positive values of R&D only for continuous R&D performers. Market share is used at the three digit industry level as a measure of relative size that can reflect market power. It is lagged in order to avoid possible endogeneity concerns (due in particular to measurement errors in firm sales which would affect both our market share and productivity variables).⁵ We take employment as our measure of firm absolute size, and since the relation between innovation and size may be nonlinear, we use four size class indicators: small enterprises ($\# \text{ employees} \leq 50$), medium-sized enterprises ($50 < \# \text{ employees} \leq 250$), large enterprises ($250 < \# \text{ employees} \leq 500$) and very large enterprises ($500 < \# \text{ employees}$), the fourth class being considered as the reference. We control for industry effects, according to the [OECD \(2007\)](#) technology-based classification of high-tech, medium-high-tech, medium-low-tech, and low-tech industries, using three dummy variables for the first three industry categories and taking low-tech industries as the reference. Such industry-specific effects capture differences in technological opportunities (it is easier to innovate in certain industries than in others) and in

³Zero values of the share of innovative sales are replaced by a positive value τ_1 smaller than the minimum positive observed value of that variable, and values one are replaced by a positive value τ_2 higher than the second largest observed value. These choices have a negligible effect on our estimates.

⁴In some specifications, we have also three indicators of the distance to the productivity frontier. We find, however, that they are not statistically significant (see Appendix D).

⁵The market share of a firm is defined as the ratio of its sales over the total sales of the three digit industry it belongs to. The latter is obtained by adding up the sales of all firms in our sample that belong to that industry after multiplying them by the appropriate raising factor.

intensity of competition (which is expected to be higher in high-tech than in low-tech industries). Since our panel consists only of three periods and we need one for the lagged variables, we need only include a time dummy variable for the period 1998-2000, with 2002-2004 being the reference. This time dummy controls for macroeconomic shocks and for inflation.

2.2 Augmented production function (APF)

As in the great majority of studies, we assume a Cobb-Douglas APF that we write in terms of a log linear productivity equation relating labor productivity to labor (i.e., we do not assume a constant scale elasticity), physical capital per employee (proxied here by physical investment due to the unavailability of a stock measure), and innovation output. We consider four specifications where we explain productivity by latent innovation (i.e. the propensity to achieve product innovations or potential innovation intensity) or by observed innovation (i.e. innovation occurrence or observed innovation intensity). In all cases we also condition current labor productivity on its past values and control for unobserved heterogeneity through firm effects. Thus, we can write

$$y_{3it} = \vartheta_{33}y_{3i,t-1} + \beta'_3 \mathbf{x}_{3it} + \gamma_j y_{jit}^* + \alpha_{3i} + \varepsilon_{3it}, \quad (2.5a)$$

$$y_{3it} = \vartheta_{33}y_{3i,t-1} + \beta'_3 \mathbf{x}_{3it} + \gamma_j y_{jit} + \alpha_{3i} + \varepsilon_{3it}, \quad (2.5b)$$

with $j = 1$ or 2 where innovation propensity (y_{1it}^*) or potential innovation intensity (y_{2it}^*) explains labor productivity in equation (2.5a), and innovation occurrence (y_{1it}) or observed innovation intensity (y_{2it}) explains labor productivity in equation (2.5b). The coefficient ϑ_{33} captures the effect of past labor productivity on current labor productivity, β'_3 captures the effect of standard input variables, i.e. employment and physical investment per employee, γ_j captures the effect of innovation output on labor productivity, and α_{3i} and ε_{3it} denote time-invariant firm effects and idiosyncratic errors. We also control for industry and time effects as in the KPF equations.

3 Full information maximum likelihood estimation (FIML)

We shall now explain how to derive the FIML estimator, that is how to take care of the initial conditions problem due to the autoregressive structure of the models and the presence of firm effects, how to write the likelihood function, and how to handle the multiple integration due to the correlations of firm effects and idiosyncratic errors across equations.

3.1 Initial conditions

The initial conditions problem stems from the fact that the first observed value of the lagged dependent variables is correlated with the individual effects. Ignoring or inadequately accounting for this correlation results in a bias of the effect of the lagged dependent variables. Several solutions have been proposed in the econometric literature. We follow the one suggested by Wooldridge (2005).

Wooldridge's 'simple solutions' have been originally applied to autoregressive nonlinear single-equation models with individual effects. We adapt the approach to a model with multiple equations. In other words, we project in each equation the individual effects on the first observation of the corresponding dependent variables and on the observed history of the explanatory variables. Formally

$$\alpha_{1i} = b_{10} + \mathbf{b}'_{11}\mathbf{y}_{1i0_i} + \mathbf{b}'_{12}\mathbf{x}_{1i} + a_{1i}, \quad (3.1)$$

$$\alpha_{2i} = b_{20} + \mathbf{b}'_{21}\mathbf{y}_{2i0_i} + \mathbf{b}'_{22}\mathbf{x}_{2i} + a_{2i}, \quad (3.2)$$

$$\alpha_{3i} = b_{30} + \mathbf{b}'_{31}\mathbf{y}_{3i0_i} + \mathbf{b}'_{32}\mathbf{x}_{3i} + a_{3i}, \quad (3.3)$$

where \mathbf{y}_{ki0_i} ($k = 1, 2, 3$) represents the initial values of the dependent variables, $\mathbf{x}_{ki} = (\mathbf{x}_{ki0_i+1}, \dots, \mathbf{x}_{kiT_i})'$ represents the history of (in principle all) the observations of the time-varying explanatory variables, and $\mathbf{a}_i = (a_{1i}, a_{2i}, a_{3i})'$ denotes the vector of projection errors assumed orthogonal to \mathbf{y}_{ki0_i} , \mathbf{x}_{ki} and $\boldsymbol{\varepsilon}_{it} = (\varepsilon_{1it}, \varepsilon_{2it}, \varepsilon_{3it})'$. The ancillary parameters b_{k0} , \mathbf{b}_{k1} and \mathbf{b}_{k2} are to be estimated alongside the parameters of interest.

Three important remarks are in order regarding equations (3.1)-(3.3). Firstly, if the coefficient vectors $\boldsymbol{\beta}_k$ contain intercepts, only the sums of those intercepts and b_{k0} are identified. Secondly, if the explanatory variables are time-invariant or do not show sufficient *within* variation, then the coefficients \mathbf{b}_{k2} and $\boldsymbol{\beta}_k$ cannot be separately identified. As a result, only the sufficiently time-varying explanatory variables enter equations (3.1)-(3.3). Thirdly, in order to discriminate between the effect of the lagged dependent variables and that of the initial values, given the unbalancedness of the panel, we actually have to include in equations (3.1)-(3.3) two types of initial values with different coefficients for firms present in all three waves and for those present only in two waves. Following Wooldridge (2005) we make the following distributional assumptions:

$\varepsilon_{it}|y_{i,t-1}, \mathbf{x}_{it}, \alpha_i \stackrel{iid}{\sim} \text{Normal}(0, \Sigma_\varepsilon)$; $\mathbf{a}_i|y_{i0_i}, \mathbf{x}_i \stackrel{iid}{\sim} \text{Normal}(0, \Sigma_a)$ where Σ_ε and Σ_a are given by

$$\Sigma_\varepsilon = \begin{pmatrix} 1 & & \\ \rho_{\varepsilon_1 \varepsilon_2} \sigma_{\varepsilon_2} & \sigma_{\varepsilon_2}^2 & \\ \rho_{\varepsilon_1 \varepsilon_3} \sigma_{\varepsilon_3} & \rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2} \sigma_{\varepsilon_3} & \sigma_{\varepsilon_3}^2 \end{pmatrix}, \quad \Sigma_a = \begin{pmatrix} \sigma_{a_1}^2 & & \\ \rho_{a_1 a_2} \sigma_{a_1} \sigma_{a_2} & \sigma_{a_2}^2 & \\ \rho_{a_1 a_3} \sigma_{a_1} \sigma_{a_3} & \rho_{a_2 a_3} \sigma_{a_2} \sigma_{a_3} & \sigma_{a_3}^2 \end{pmatrix} \quad (3.4)$$

and are also to be estimated.

3.2 Likelihood

We now derive the likelihood functions. For simplicity, we provide the expressions explicitly only for the specifications where y_{1it}^* or y_{1it} (respectively the latent propensity to achieve product innovations and the observed indicator of innovation occurrence) enters the augmented production function. Those with y_{2it}^* or y_{2it} are presented in Appendix B.

Model with latent innovation propensity

The model with latent innovation propensity as a predictor of labor productivity consists of equations (2.1)-(2.4) and (2.5a) with $j = 1$ in equation (2.5a). These equations constitute the *structural* form of the model. Since y_{1it}^* is unobserved, we cannot, unlike in simultaneous equations models with observed explanatory variables, derive the likelihood function directly where the dependent variable is included as a regressor. As a result, FIML estimates can be obtained only through the likelihood function of the *reduced* form of the model. The reduced-form equations are given by equations (2.1)-(2.4) and

$$y_{3it} = \vartheta_{33}y_{3i,t-1} + \beta_3' \mathbf{x}_{3it} + \gamma_1 [\vartheta_{11}y_{1i,t-1} + \vartheta_{13}y_{3i,t-1} + \beta_1' \mathbf{x}_{1it}] + \underbrace{\gamma_1 \alpha_{1i} + \alpha_{3i}}_{\underline{\alpha}_{3i}} + \underbrace{\gamma_1 \varepsilon_{1it} + \varepsilon_{3it}}_{\underline{\varepsilon}_{3it}}, \quad (3.5)$$

where y_{1it}^* has been replaced by its right-hand side expression of equation (2.1).⁶ The individual effects and the idiosyncratic errors of the reduced form are given by $\underline{\alpha}_i = (\alpha_{1i}, \alpha_{2i}, \underline{\alpha}_{3i})'$ and $\underline{\varepsilon}_{it} = (\varepsilon_{1it}, \varepsilon_{2it}, \underline{\varepsilon}_{3it})'$, where $\underline{\alpha}_{3i}$ and $\underline{\varepsilon}_{3it}$ are defined in equation (3.5). After replacing α_{1i} , α_{2i} and α_{3i} by their expressions (3.1) to (3.3) into equations (2.1), (2.3) and (3.5), we obtain the projection errors of the reduced form as $\underline{\mathbf{a}}_i = (a_{1i}, a_{2i}, \underline{a}_{3i})'$ with $\underline{a}_{3i} = \gamma_1 a_{1i} + a_{3i}$. Since the structural form idiosyncratic errors and projection errors are both normally distributed, their reduced-form counterparts are also normally distributed with means zero and covariance matrices

⁶In the econometric literature on simultaneous equations models, equation (3.5) is referred to as *restricted* reduced form when written with *all* the parameters of the structural form and *unrestricted* reduced form when written with the underlined parameters. In the latter case, $\gamma_1 \vartheta_{11}$ would constitute a new coefficient, say $\underline{\vartheta}_{11}$. The restricted reduced form is of interest in our analysis.

$\underline{\Sigma}_\varepsilon$ and $\underline{\Sigma}_a$ given by

$$\underline{\Sigma}_\varepsilon = \begin{pmatrix} 1 & & \\ \rho_{\varepsilon_1\varepsilon_2}\sigma_{\varepsilon_2} & \sigma_{\varepsilon_2}^2 & \\ \rho_{\varepsilon_1\varepsilon_3}\sigma_{\varepsilon_3} & \rho_{\varepsilon_2\varepsilon_3}\sigma_{\varepsilon_2}\sigma_{\varepsilon_3} & \sigma_{\varepsilon_3}^2 \end{pmatrix}, \quad \underline{\Sigma}_a = \begin{pmatrix} \sigma_{a_1}^2 & & \\ \rho_{a_1a_2}\sigma_{a_1}\sigma_{a_2} & \sigma_{a_2}^2 & \\ \rho_{a_1a_3}\sigma_{a_1}\sigma_{a_3} & \rho_{a_2a_3}\sigma_{a_2}\sigma_{a_3} & \sigma_{a_3}^2 \end{pmatrix}, \quad (3.6)$$

where the underlined components of $\underline{\Sigma}_\varepsilon$ and $\underline{\Sigma}_a$ are nonlinear functions of their structural form counterparts and are given by

$$\underline{\sigma_{\varepsilon_3}^2} = \gamma_1^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_1\rho_{\varepsilon_1\varepsilon_3}\sigma_{\varepsilon_3}, \quad \underline{\sigma_{a_3}^2} = \gamma_1^2\sigma_{a_1}^2 + \sigma_{a_3}^2 + 2\gamma_1\rho_{a_1a_3}\sigma_{a_1}\sigma_{a_3}, \quad (3.7a)$$

$$\underline{\rho_{\varepsilon_1\varepsilon_3}} = \frac{\gamma_1 + \rho_{\varepsilon_1\varepsilon_3}\sigma_{\varepsilon_3}}{(\gamma_1^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_1\rho_{\varepsilon_1\varepsilon_3}\sigma_{\varepsilon_3})^{\frac{1}{2}}}, \quad \underline{\rho_{a_1a_3}} = \frac{\gamma_1\sigma_{a_1} + \rho_{a_1a_3}\sigma_{a_3}}{(\gamma_1^2\sigma_{a_1}^2 + \sigma_{a_3}^2 + 2\gamma_1\rho_{a_1a_3}\sigma_{a_1}\sigma_{a_3})^{\frac{1}{2}}}, \quad (3.7b)$$

$$\underline{\rho_{\varepsilon_2\varepsilon_3}} = \frac{\gamma_1\rho_{\varepsilon_1\varepsilon_2} + \rho_{\varepsilon_2\varepsilon_3}\sigma_{\varepsilon_3}}{(\gamma_1^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_1\rho_{\varepsilon_1\varepsilon_3}\sigma_{\varepsilon_3})^{\frac{1}{2}}}, \quad \underline{\rho_{a_2a_3}} = \frac{\gamma_1\rho_{a_1a_2}\sigma_{a_1} + \rho_{a_2a_3}\sigma_{a_3}}{(\gamma_1^2\sigma_{a_1}^2 + \sigma_{a_3}^2 + 2\gamma_1\rho_{a_1a_3}\sigma_{a_1}\sigma_{a_3})^{\frac{1}{2}}}. \quad (3.7c)$$

The individual likelihood function of the reduced form conditional on \underline{a}_i , denoted by $l_{1i|\underline{a}_i}$, is given by

$$l_{1i|\underline{a}_i} = \prod_{t=0_i+1}^{T_i} \left[\int_{-\infty}^{-(A_{1it}+a_{1i})} \int_{-\infty}^{\infty} h_3(\varepsilon_{1it}, \varepsilon_{2it}, y_{3it}) d\varepsilon_{1it} d\varepsilon_{2it} \right]^{1-y_{1it}} \left[\int_{-(A_{1it}+a_{1i})}^{\infty} h_3(\varepsilon_{1it}, y_{2it}, y_{3it}) d\varepsilon_{1it} \right]^{y_{1it}}, \quad (3.8)$$

where h_3 denotes the density function of the trivariate normal distribution and A_{1it} is defined as

$$A_{1it} \equiv \vartheta_{11}y_{1i,t-1} + \vartheta_{13}y_{3i,t-1} + \beta'_1\mathbf{x}_{1it} + b_{10} + \mathbf{b}'_{11}\mathbf{y}_{1i0_i} + \mathbf{b}'_{12}\mathbf{x}_{1i}. \quad (3.9)$$

The first product in equation (3.8) represents the contribution of a non-product innovator to the likelihood function and can be rewritten as $h_1(y_{3it}) \int_{-\infty}^{-(A_{1it}+a_{1i})} h_1(\varepsilon_{1it}|y_{3it}) d\varepsilon_{1it}$.⁷ The second product represents the contribution of a product innovator and is equal to $h_1(y_{2it}|y_{3it}) h_1(y_{3it}) \int_{-(A_{1it}+a_{1i})}^{\infty} h_1(\varepsilon_{1it}|y_{2it}, y_{3it}) d\varepsilon_{1it}$. These single integrals are univariate cumulative distribution functions (CDFs) of the normal distribution, and are shown to be respectively (see Kotz et al.,

⁷ $\int_{-\infty}^{\infty} h_3(\varepsilon_{1it}, \varepsilon_{2it}, y_{3it}) d\varepsilon_{2it} = h_2(\varepsilon_{1it}, y_{3it})$ where h_2 denotes the density of the bivariate normal distribution, and $h_2(\varepsilon_{1it}, y_{3it}) = h_1(y_{3it}) h_1(\varepsilon_{1it}|y_{3it})$ where h_1 denotes the density of the univariate normal distribution.

2000)

$$\Phi_1 \left(\frac{-A_{1it} - a_{1i} - \frac{\rho_{\varepsilon_1 \varepsilon_3}}{\sigma_{\varepsilon_3}} \frac{\sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i})}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}}}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}} \right), \quad (3.10a)$$

$$\Phi_1 \left(\frac{A_{1it} + a_{1i} + \frac{\rho_{12.3}}{\sigma_{\varepsilon_2}} \frac{\sigma_{\varepsilon_2}^{-1} (y_{2it} - A_{2it} - a_{2i}) + \frac{\rho_{13.2}}{\sigma_{\varepsilon_3}} \frac{\sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i})}{\sqrt{1 - R_{1.23}^2}}}{\sqrt{1 - R_{1.23}^2}} \right), \quad (3.10b)$$

where A_{1it} is given in equation (3.9), A_{2it} and A_{3it} are given by

$$A_{2it} \equiv \vartheta_{22} y_{2i,t-1} + \vartheta_{23} y_{3i,t-1} + \beta'_2 \mathbf{x}_{2it} + b_{20} + \mathbf{b}'_{21} \mathbf{y}_{2i0_i} + \mathbf{b}'_{22} \mathbf{x}_{2i}, \quad (3.11a)$$

$$A_{3it} \equiv \vartheta_{33} y_{3i,t-1} + \beta'_3 \mathbf{x}_{3it} + b_{30} + \mathbf{b}'_{31} \mathbf{y}_{3i0_i} + \mathbf{b}'_{32} \mathbf{x}_{3i}, \quad (3.11b)$$

and $\rho_{12.3}$, $\rho_{13.2}$, and $R_{1.23}^2$ are given by

$$\rho_{12.3} \equiv \frac{\rho_{\varepsilon_1 \varepsilon_2} - \frac{\rho_{\varepsilon_1 \varepsilon_3} \rho_{\varepsilon_2 \varepsilon_3}}{\rho_{\varepsilon_2 \varepsilon_3}}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}, \quad \rho_{13.2} \equiv \frac{\rho_{\varepsilon_1 \varepsilon_3} - \frac{\rho_{\varepsilon_1 \varepsilon_2} \rho_{\varepsilon_2 \varepsilon_3}}{\rho_{\varepsilon_2 \varepsilon_3}}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}, \quad R_{1.23}^2 \equiv \frac{\rho_{\varepsilon_1 \varepsilon_2}^2 + \rho_{\varepsilon_1 \varepsilon_3}^2 - 2\rho_{\varepsilon_1 \varepsilon_2} \rho_{\varepsilon_1 \varepsilon_3} \rho_{\varepsilon_2 \varepsilon_3}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}. \quad (3.12)$$

The final expression of $l_{1i|\mathbf{a}_i}$ is given by

$$l_{1i|\mathbf{a}_i} = \prod_{t=0_i+1}^{T_i} \frac{1}{\sigma_{\varepsilon_3}} \phi_1 \left(\frac{y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i}}{\sigma_{\varepsilon_3}} \right) \left[\Phi_1 \left(\frac{-A_{1it} - a_{1i} - \frac{\rho_{\varepsilon_1 \varepsilon_3}}{\sigma_{\varepsilon_3}} \frac{\sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i})}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}}}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}} \right) \right]^{1-y_{1it}} \\ \left[\Phi_1 \left(\frac{A_{1it} + a_{1i} + \frac{\rho_{12.3}}{\sigma_{\varepsilon_2}} \frac{\sigma_{\varepsilon_2}^{-1} (y_{2it} - A_{2it} - a_{2i}) + \frac{\rho_{13.2}}{\sigma_{\varepsilon_3}} \frac{\sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i})}{\sqrt{1 - R_{1.23}^2}}}{\sqrt{1 - R_{1.23}^2}} \right) \right]^{y_{1it}} \\ \frac{1}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \phi_1 \left(\frac{y_{2it} - A_{2it} - a_{2i} - \frac{\rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2}}{\sigma_{\varepsilon_3}} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a}_{3i})}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \right) \Bigg]. \quad (3.13)$$

Model with observed innovation incidence

The model with the observed innovation indicator as a predictor of labor productivity consists of equations (2.1)-(2.4) and (2.5b) with $j = 1$ in equation (2.5b). Unlike in the previous model, we insert directly the observed innovation indicator in the likelihood function.⁸

⁸As a matter of fact, adopting this approach is recommended in this case. Indeed, the indicator function that relates the observed dependent variable, y_{1it} , to the regressors, which would be used in the likelihood function of the reduced form, is discontinuous and the maximization of the likelihood function of the reduced form is unfeasible.

The individual likelihood function of the structural form of this model, conditional on \mathbf{a}_i and denoted by $l_{2i|\mathbf{a}_i}$, has a similar expression to $l_{1i|\underline{\mathbf{a}}_i}$. It is given by

$$l_{2i|\mathbf{a}_i} = \prod_{t=0_i+1}^{T_i} \frac{1}{\sigma_{\varepsilon_3}} \phi_1 \left(\frac{y_{3it} - A_{3it} - \gamma_1 y_{1it} - a_{3i}}{\sigma_{\varepsilon_3}} \right) \left[\Phi_1 \left(\frac{-A_{1it} - a_{1i} - \rho_{\varepsilon_1 \varepsilon_3} \sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 y_{1it} - a_{3i})}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}} \right) \right]^{1-y_{1it}} \\ \left[\Phi_1 \left(\frac{A_{1it} + a_{1i} + \rho_{12.3} \sigma_{\varepsilon_2}^{-1} (y_{2it} - A_{2it} - a_{2i}) + \rho_{13.2} \sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 y_{1it} - a_{3i})}{\sqrt{1 - R_{1.23}^2}} \right) \right]^{y_{1it}} \\ \frac{1}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \phi_1 \left(\frac{y_{2it} - A_{2it} - a_{2i} - \frac{\rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2}}{\sigma_{\varepsilon_3}} (y_{3it} - A_{3it} - \gamma_1 y_{1it} - a_{3i})}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \right) \right]^{y_{1it}}, \quad (3.14)$$

where $\rho_{12.3}$, $\rho_{13.2}$, and $R_{1.23}^2$ are derived straightforwardly from equation (3.12) by replacing the underlined correlations by their structural form counterparts, that is

$$\rho_{12.3} \equiv \frac{\rho_{\varepsilon_1 \varepsilon_2} - \rho_{\varepsilon_1 \varepsilon_3} \rho_{\varepsilon_2 \varepsilon_3}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}, \quad \rho_{13.2} \equiv \frac{\rho_{\varepsilon_1 \varepsilon_3} - \rho_{\varepsilon_1 \varepsilon_2} \rho_{\varepsilon_2 \varepsilon_3}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}, \quad R_{1.23}^2 \equiv \frac{\rho_{\varepsilon_1 \varepsilon_2}^2 + \rho_{\varepsilon_1 \varepsilon_3}^2 - 2\rho_{\varepsilon_1 \varepsilon_2} \rho_{\varepsilon_1 \varepsilon_3} \rho_{\varepsilon_2 \varepsilon_3}}{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}. \quad (3.15)$$

3.3 Numerical evaluation

The next step consists in obtaining the unconditional counterparts to $l_{1i|\underline{\mathbf{a}}_i}$ and $l_{2i|\mathbf{a}_i}$, which are obtained by integrating out respectively $\underline{\mathbf{a}}_i$ and \mathbf{a}_i with respect to their normal distribution. Formally,

$$l_1 = \prod_{i=1}^N \int_{a_{1i}} \int_{a_{2i}} \int_{\underline{a}_{3i}} l_{1i|\underline{\mathbf{a}}_i} h_3(a_{1i}, a_{2i}, \underline{a}_{3i} | \dots) da_{1i} da_{2i} d\underline{a}_{3i}, \quad (3.16)$$

and

$$l_2 = \prod_{i=1}^N \int_{a_{1i}} \int_{a_{2i}} \int_{a_{3i}} l_{2i|\mathbf{a}_i} h_3(a_{1i}, a_{2i}, a_{3i} | \dots) da_{1i} da_{2i} da_{3i}. \quad (3.17)$$

Evidently, l_1 and l_2 cannot be derived analytically. Hence, we use Gauss-Hermite quadrature sequentially, along the lines of [Raymond \(2007\)](#), to evaluate the triple integrals.⁹ The Gauss-Hermite quadrature states that

$$\int_{-\infty}^{\infty} e^{-r^2} f(r) dr \simeq \sum_{m=1}^M w_m f(a_m), \quad (3.18)$$

where w_m and a_m are respectively the weights and abscissae of the quadrature with M being the total number of integration points.¹⁰ Numerical tables with values of w_m and a_m are formulated in mathematical textbooks ([Abramowitz and Stegun, 1964](#)). The larger M , the more accurate the

⁹The use of this numerical method is well documented in the econometric literature in the context of panel data single-equation models (see e.g. [Butler and Moffitt, 1982](#); [Rabe-Hesketh et al., 2005](#)). However, its use in the context of panel data models with multiple equations remains to date limited. A few exceptions are [Raymond \(2007, chapter 3\)](#) who studies the performance of the method in two types of dynamic sample selection models, and [Raymond et al. \(2010\)](#) who apply the method to estimate the persistence of innovation incidence and innovation intensity.

¹⁰The abscissae of the quadrature, a_m , should not be confused with the projections errors a_{1i} , a_{2i} and a_{3i} .

approximation. Using the results of Appendix A, the unconditional likelihood, l_1 , is derived as

$$\begin{aligned}
l_1 \simeq & \prod_{i=1}^N \Delta \pi^{\frac{-3}{2}} \left[(1 - \rho_{a_1 a_2}^2) (1 - \rho_{a_1 a_3}^2) (1 - \rho_{a_2 a_3}^2) \right]^{\frac{-1}{2}} \sum_{m_3=1}^{M_3} w_{m_3} \prod_{t=0_i+1}^{T_i} \frac{1}{\sigma_{\varepsilon_3}} \phi_1 \left(\frac{y_{3it} - A_{3it} - \gamma_1 A_{1it} - a_{m_3}[\dots]}{\sigma_{\varepsilon_3}} \right) \\
& \sum_{m_2=1}^{M_2} w_{m_2} e^{\frac{-2\Lambda_{23} a_{m_2} a_{m_3}}{\sqrt{\Lambda_{22} \Lambda_{33}}}} \prod_{t=0_i+1}^{T_i} \left[\frac{1}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \phi_1 \left(\frac{y_{2it} - A_{2it} - a_{m_2}[\dots] - \frac{\rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2}}{\sigma_{\varepsilon_3}} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - a_{m_3}[\dots])}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \right) \right]^{y_{1it}} \\
& \sum_{m_1=1}^{M_1} w_{m_1} e^{\frac{-2a_{m_1}}{\sqrt{\Lambda_{11}}} \left(\frac{a_{m_2} \Lambda_{12}}{\sqrt{\Lambda_{22}}} + \frac{a_{m_3} \Lambda_{13}}{\sqrt{\Lambda_{33}}} \right)} \prod_{t=0_i+1}^{T_i} \left[\Phi_1 \left(\frac{-A_{1it} - a_{m_1}[\dots] - \rho_{\varepsilon_1 \varepsilon_3} \frac{\sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - a_{m_3}[\dots])}{\sqrt{1 - \rho_{\varepsilon_1 \varepsilon_3}^2}}}{\sqrt{1 - R_{1.23}^2}} \right) \right]^{y_{1it}} \\
& \left[\Phi_1 \left(\frac{A_{1it} + a_{m_1}[\dots] + \rho_{12.3} \sigma_{\varepsilon_2}^{-1} (y_{2it} - A_{2it} - a_{m_2}[\dots]) + \rho_{13.2} \sigma_{\varepsilon_3}^{-1} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - a_{m_3}[\dots])}{\sqrt{1 - R_{1.23}^2}} \right) \right]^{y_{1it}},
\end{aligned} \tag{3.19}$$

where w_{m_k} , a_{m_k} and M_k ($k = 1, 2, 3$) are respectively the weights, abscissae and total number of points of the quadrature in each stage, $a_{m_k}[\dots] = \frac{a_{m_k} \sigma_{a_k} \sqrt{2}}{\sqrt{\Lambda_{kk}}}$, and the expressions of Λ_{kl} ($k, l = 1, 2, 3$; $\Lambda_{kl} = \Lambda_{lk}$) and $\underline{\Delta}$ are given in Appendix A. The FIML estimates of the structural parameters of the model where y_{1it}^* enters the APF are obtained by maximizing $\ln l_1$ subject to the constraints defined in equations (3.7a)-(3.7c).

The evaluation of l_2 is done in a similar fashion and yields a similar expression except that the underlined parameters are replaced by their non-underlined equivalents and that $\gamma_1 A_{1it}$ is replaced by $\gamma_1 y_{1it}$. The FIML estimates of the structural parameters of the model where y_{1it} enters the APF are obtained by maximizing $\ln l_2$ without additional constraints.

4 Data and descriptive statistics

The data used in the analysis stem from three waves of the Dutch and the French CIS pertaining to the manufacturing sector, with the exception of the food industry, for the periods 1994-1996 (CIS 2), 1998-2000 (CIS 3) and 2002-2004 (CIS 4). The Dutch and French CIS data are merged respectively with data from the Production Survey (PS) and the ‘*Enquête Annuelle d’Entreprise*’ (EAE) that provide information regarding employment, sales and investment.¹¹ For each CIS, the merged PS and EAE variables pertain to the last year of the three-year period. We consider enterprises with at least ten employees and positive sales at the end of each period covered by the innovation survey.¹² Note that one of the particularities of the innovation survey is that, for

¹¹Both Dutch surveys were carried out by the ‘*Centraal Bureau voor de Statistiek*’ (CBS) for the whole manufacturing sector and the two French surveys by the ‘*Service des Statistiques Industrielles*’ (SESSI) of the French Ministry of Industry for the manufacturing sector excluding the food industry.

¹²We delete enterprises with a share of total R&D expenditures (intramural + extramural) in total sales greater than 50% since they are likely to specialize in doing and trading R&D, hence should be classified in R&D services

each period, product innovation occurrence relates to the introduction of a new product over a three-year period, while the actual share of innovative sales pertains to the last year of the period. As a result, when assessing persistence of innovation, the lag effect refers to two to four years when the occurrence of innovation is considered and to four years when the share of innovative sales is considered.¹³ In this paper we consider as innovators only those firms that have introduced a product new to the firm, but not necessarily new to the market.

In the following Tables 1, 2 and 3, we show some simple descriptive statistics, mostly means, to present our samples and main variables. Table 1 shows, for both countries, the patterns of enterprises' presence in the unbalanced panel after data cleaning. Because of the dynamic structure of the model, an enterprise must be present in at least two consecutive waves of the merged data in order to be included in the analysis. There are 1920 such enterprises in our sample for France and 1228 for The Netherlands. In both countries about one third of the total number of enterprises are present in the three waves.

For each pattern, we report the mean and median employment head counts in the sample and in the population where the head counts in the population are obtained by weighting head counts in the sample using a raising factor obtained after correcting for non-response. Because of the lower cut-off points in The Netherlands and possibly differences in the rates of non-responses in the two countries, the differences in average firm size between the sample and the population are larger for France than for The Netherlands. These differences are, however, smaller in the balanced panel, which is to be expected since firms larger than the cut-off points are all included in the samples and are also more likely to survive during the whole period 1994-2004. Using the unbalanced panel allows us to obtain more precise estimates as more observations for broader types of enterprises are used and also to control partly for survivorship biases as enterprises are allowed to enter and exit the sample at any period. Overall French enterprises are significantly larger than the Dutch ones both in the sample and in the population, in the balanced as well as in the unbalanced panel.

Table 2 gives the means of the non-transformed dependent and explanatory variables for the unbalanced samples and for the subsamples of product innovators. Comparing first all enterprises with product innovators, it appears that in both countries product innovators do not seem to

not in manufacturing.

¹³The CIS, PS and EAE data are collected at the enterprise level. A combination of a census and a stratified random sampling is used for each wave of the CIS and the PS. A census is used for the population of Dutch enterprises with at least 50 employees, and a stratified random sampling is used for enterprises with less than 50 employees, where the stratum variables are the enterprise economic activity and employment in head counts. The same cut-off point of 50 employees is applied to each wave of the Dutch CIS and the PS. A similar scheme is used for the French CIS but a cut-off point of 500 employees is used in CIS 2 and 3, and one of 250 employees in CIS 4. The use of different cut-off points in the census/sampling scheme may result in differences across countries in the average size of enterprises in our samples and may affect our estimates. If we had aligned the Dutch sampling with the French sampling we would have lost too many observations for the Netherlands. In the EAE, all enterprises with at least 20 employees are surveyed.

Table 1: Employment in the sample and in the population for each pattern of the unbalanced panel data samples of Dutch and French manufacturing enterprises: CIS 2, CIS 3, and CIS 4

Variable↓	Pattern→	France				The Netherlands			
		110	111	011	Total	110	111	011	Total
# enterprises		504	586	829	1920	506	411	311	1228
% in total		26	31	43	100	41	34	25	100
Employment, sample									
Mean		558	1044	398	691	158	217	335	222
Median		160	663	197	336	75	112	108	96
Employment, population									
Mean		215	726	200	334	111	172	197	155
Median		73	405	74	97	56	93	57	68

Pattern refers to the presence/absence of firms in the three successive waves.

be more productive on average. This is due to the existence among non-product innovators of a few firms with very high values of sales per employee. When we take the logarithms of sales per employee, as we do in our estimating equations, we downweigh outlier values and obtain significantly higher productivities for product innovators in both countries. We also observe that on average in both countries product innovators are larger in terms of employment and have a larger market share.

Comparing now the two countries, we see that Dutch enterprises, either overall or for product innovators only, have on average much higher physical investments per employee, larger market shares but smaller sales per employee than their French counterparts. We also see that the Dutch innovators have on average a significantly higher share of innovative sales but a significantly lower mean R&D per employee than French innovators. It is finally interesting to note that in France the majority of product innovators and non-innovators are very large in contrast to The Netherlands where they are mostly medium-sized enterprises.

Table 2: Means of dependent and explanatory variables: Unbalanced panel data samples from Dutch and French CIS 2, CIS 3 and CIS 4

Variable	France		The Netherlands	
	All enterprises	Product. innov.	All enterprises	Product. innov.
Product innovator	0.59	-	0.58	-
Share of innov. sales	-	0.22	-	0.30
Sales/employee [†]	220.53	215.04	184.85	180.70
R&D/employee [‡]	-	8.09	-	4.68
Investment/employee [†]	7.29	7.36	9.10	9.62
Employment				
# employees	691.36	935.72	222.13	258.78
Size class 1	0.13	0.06	0.20	0.14
Size class 2	0.29	0.21	0.63	0.65
Size class 3	0.20	0.22	0.08	0.11
Size class 4	0.39	0.51	0.09	0.10
Market share (%)	1.52	1.86	1.66	2.01
# observations	4427	2618	2867	1670

[†]In 1000s of euros. [‡]For continuous R&D performers, in 1000s of euros.

Table 3 gives the same statistics as Table 2 but separately for each period of our unbalanced panel. For both countries, we observe a significant decrease in the proportion of product innovators and in the mean share of innovative sales between 1994 and 2004. The marked increase of the share of innovative sales between the last two periods for France is not large enough to offset the large decrease that occurs between the first two periods. We also see, for both countries, a strong increase in the mean nominal sales per employee and in the mean market share between 1994 and 2004, while on average employment decreases for France and increases for The Netherlands. The growth that we observe in the mean R&D and physical investment per employee between 1994 and 2004 is relatively modest (and only statistically significant for The Netherlands). Although the differences between the means of the main variables across countries are informative, it is important to keep in mind that our estimates are not based on the differences of most of such means but on differences within the two countries, four industry categories as well as within wave survey patterns, since we estimate our models separately for France and The Netherlands and we control for firm effects and also include industry and time dummies in all the model equations, as explained in Section 2.

Table 3: Means of dependent and explanatory variables for each CIS of the unbalanced panel data samples for France and The Netherlands

Variable	France			The Netherlands		
	1994-1996	1998-2000	2002-2004	1994-1996	1998-2000	2002-2004
Product innovator	0.65	0.56	0.58	0.66	0.60	0.45
Share of innov. sales [†]	0.30	0.15	0.23	0.33	0.32	0.21
Sales/employee [‡]	158.51	230.52	254.75	149.43	170.11	254.91
R&D/employee*	7.59	7.28	8.64	3.96	4.76	5.14
Investment/employee [‡]	6.44	8.12	6.83	8.58	8.01	11.61
Employment						
# employees	806.37	673.99	626.33	175.36	236.04	257.87
Size class 1	0.12	0.14	0.12	0.18	0.21	0.20
Size class 2	0.26	0.31	0.28	0.68	0.61	0.60
Size class 3	0.15	0.19	0.25	0.08	0.08	0.09
Size class 4	0.47	0.36	0.35	0.06	0.10	0.11
Market share (%)	1.38	1.45	1.73	1.30	1.75	1.97
# enterprises	1091	1920	1416	917	1228	722

[†]For product innovators. [‡]In 1000s of euros. *For continuous R&D performers, in 1000s of euros.

5 Estimation results

We now turn to the results of the estimation of the models. We shall first quickly comment on the general results before discussing particularly the estimated effects of innovation output on productivity and the dynamic interrelations between innovation and productivity. Tables 4 and 5 present the estimation results for the model with latent innovation as a predictor of labor productivity, and Tables 6 and 7 present the results for the model with observed innovation as a

predictor of labor productivity.

Table 4: FIML estimates of the model with latent innovation propensity to explain productivity: Unbalanced panel data samples from Dutch and French CIS 2, CIS 3 and CIS 4[‡]

Variable	France		The Netherlands	
	Coefficient	(Std. Err.)	Coefficient	(Std. Err.)
Innovation occurrence _t				
Innovation occurrence _{t-1}	0.181 [†]	(0.103)	0.051	(0.171)
Innovation occurrence _{0i} , 3 waves	0.167	(0.111)	0.696**	(0.189)
Innovation occurrence _{0i} , 2 waves	0.339**	(0.066)	0.721**	(0.112)
(Sales/employee) _{t-1} , in log	0.000	(0.017)	0.010	(0.025)
(R&D/employee) _{t-1} , in log	0.025	(0.027)	0.173**	(0.045)
(D _{non-continuous R&D}) _{t-1}	-0.534**	(0.070)	-0.587**	(0.093)
Size class				
D _{# employees ≤ 50}	-0.470**	(0.130)	-0.271	(0.170)
D _{50 < # employees ≤ 250}	-0.335**	(0.092)	-0.049	(0.144)
D _{250 < # employees ≤ 500}	-0.095	(0.077)	0.304 [†]	(0.182)
Market share _{t-1} , in log	0.074**	(0.024)	0.077**	(0.029)
Share of innovative sales _t , in logit				
Share of innov. sales _{t-1} , in logit	0.110*	(0.050)	0.043	(0.044)
Share of innov. sales _{0i} , 3 waves	0.064	(0.046)	0.132**	(0.040)
Share of innov. sales _{0i} , 2 waves	0.185**	(0.027)	0.174**	(0.030)
(Sales/employee) _{t-1} , in log	0.002	(0.034)	0.001	(0.029)
(R&D/employee) _{t-1} , in log	0.105 [†]	(0.057)	0.258**	(0.065)
(D _{non-continuous R&D}) _{t-1}	-1.093**	(0.154)	-0.697**	(0.144)
Size class				
D _{# employees ≤ 50}	-0.349	(0.311)	0.022	(0.276)
D _{50 < # employees ≤ 250}	-0.361 [†]	(0.206)	0.065	(0.222)
D _{250 < # employees ≤ 500}	0.118	(0.169)	0.156	(0.268)
Market share _{t-1} , in log	0.152**	(0.055)	0.093*	(0.047)
Labor productivity _t : sales/employee, in log				
(Sales/employee) _{t-1} , in log	0.531**	(0.056)	0.319**	(0.066)
(Sales/employee) _{0i} , 3 waves	0.336**	(0.056)	0.282**	(0.066)
(Sales/employee) _{0i} , 2 waves	0.856**	(0.012)	0.584**	(0.024)
Latent innovation propensity _t	0.074**	(0.020)	0.121**	(0.029)
(Investment/employee) _t , in log	0.065**	(0.006)	0.119**	(0.012)
Employment _t , in log	-0.027**	(0.008)	-0.082**	(0.018)
Covariance matrix				
Individual effects				
σ_{a_1}	0.259 [†]	(0.148)	0.470**	(0.138)
σ_{a_2}	0.745**	(0.179)	0.680**	(0.193)
σ_{a_3}	0.096**	(0.025)	0.160**	(0.060)
$\rho_{a_1 a_2}$	0.514**	(0.152)	0.540**	(0.145)
$\rho_{a_1 a_3}$	-0.090	(0.408)	-0.221	(0.336)
$\rho_{a_2 a_3}$	0.158	(0.279)	0.064	(0.331)
Idiosyncratic errors				
σ_{ε_2}	2.469**	(0.076)	1.780**	(0.096)
σ_{ε_3}	0.313**	(0.009)	0.587**	(0.019)
$\rho_{\varepsilon_1 \varepsilon_2}$	0.99, fixed after grid search		0.95, fixed after grid search	
$\rho_{\varepsilon_1 \varepsilon_3}$	-0.206**	(0.071)	-0.237**	(0.067)
$\rho_{\varepsilon_2 \varepsilon_3}$	-0.208**	(0.070)	-0.229**	(0.061)
# observations	2505		1639	
Log-likelihood	-5048.917		-3920.898	

[‡]Three dummies of category of industry, a time dummy and an intercept are included in each equation.

Significance levels : † : 10% * : 5% ** : 1%

Table 5: FIML estimates of the model with latent innovation intensity to explain productivity: Unbalanced panel data samples from Dutch and French CIS 2, CIS 3 and CIS 4[‡]

Variable	Coefficient (Std. Err.)		Coefficient (Std. Err.)	
	France		The Netherlands	
	Innovation occurrence _t			
Innovation occurrence _{t-1}	0.151	(0.098)	0.027	(0.178)
Innovation occurrence _{0_i} , 3 waves	0.171 [†]	(0.102)	0.738**	(0.194)
Innovation occurrence _{0_i} , 2 waves	0.343**	(0.066)	0.719**	(0.116)
(Sales/employee) _{t-1} , in log	0.004	(0.018)	0.009	(0.026)
(R&D/employee) _{t-1} , in log	0.023	(0.028)	0.173**	(0.047)
(D _{non-continuous R&D}) _{t-1}	-0.546**	(0.070)	-0.607**	(0.095)
Size class				
D _{# employees ≤ 50}	-0.509**	(0.126)	-0.325 [†]	(0.175)
D _{50 < # employees ≤ 250}	-0.353**	(0.091)	-0.101	(0.150)
D _{250 < # employees ≤ 500}	-0.111	(0.077)	0.225	(0.187)
Market share _{t-1} , in log	0.069**	(0.024)	0.072*	(0.030)
Share of innovative sales _t , in logit				
Share of innov. sales _{t-1} , in logit	0.138**	(0.048)	0.055	(0.043)
Share of innov. sales _{0_i} , 3 waves	0.044	(0.043)	0.113**	(0.040)
Share of innov. sales _{0_i} , 2 waves	0.191**	(0.026)	0.169**	(0.030)
(Sales/employee) _{t-1} , in log	0.004	(0.033)	-0.001	(0.029)
(R&D/employee) _{t-1} , in log	0.100 [†]	(0.055)	0.261**	(0.062)
(D _{non-continuous R&D}) _{t-1}	-1.018**	(0.154)	-0.691**	(0.140)
Size class				
D _{# employees ≤ 50}	-0.187	(0.296)	0.096	(0.271)
D _{50 < # employees ≤ 250}	-0.366 [†]	(0.198)	0.169	(0.219)
D _{250 < # employees ≤ 500}	0.103	(0.162)	0.323	(0.266)
Market share _{t-1} , in log	0.179**	(0.052)	0.110*	(0.046)
Labor productivity _t : sales/employee, in log				
(Sales/employee) _{t-1} , in log	0.527**	(0.056)	0.320**	(0.066)
(Sales/employee) _{0_i} , 3 waves	0.337**	(0.056)	0.282**	(0.066)
(Sales/employee) _{0_i} , 2 waves	0.852**	(0.012)	0.583**	(0.024)
Latent share of innovative sales _t	0.043**	(0.010)	0.084**	(0.022)
(Investment/employee) _t , in log	0.065**	(0.006)	0.120**	(0.012)
Employment _t , in log	-0.025**	(0.008)	-0.070**	(0.017)
Covariance matrix				
Individual effects				
σ _{a₁}	0.322**	(0.092)	0.492**	(0.134)
σ _{a₂}	0.673**	(0.190)	0.642**	(0.213)
σ _{a₃}	0.095**	(0.026)	0.158**	(0.060)
ρ _{a₁ a₂}	0.546**	(0.128)	0.544**	(0.146)
ρ _{a₁ a₃}	-0.094	(0.315)	-0.121	(0.350)
ρ _{a₂ a₃}	-0.108	(0.302)	-0.151	(0.362)
Idiosyncratic errors				
σ _{ε₂}	2.481**	(0.075)	1.791**	(0.098)
σ _{ε₃}	0.320**	(0.011)	0.596**	(0.021)
ρ _{ε₁ ε₂}	0.99, fixed after grid search		0.95, fixed after grid search	
ρ _{ε₁ ε₃}	-0.298**	(0.077)	-0.266**	(0.074)
ρ _{ε₂ ε₃}	-0.301**	(0.075)	-0.288**	(0.073)
# observations	2505		1639	
Log-likelihood	-5045.613		-3922.326	

[‡]Three dummies of category of industry, a time dummy and an intercept are included in each equation.

Significance levels : † : 10% * : 5% ** : 1%

Table 6: FIML estimates of the model with observed innovation indicator to explain productivity: Unbalanced panel data samples from Dutch and French CIS 2, CIS 3 and CIS 4[‡]

Variable	Coefficient (Std. Err.)		Coefficient (Std. Err.)	
	France		The Netherlands	
	Innovation occurrence _t			
Innovation occurrence _{t-1}	0.155	(0.117)	0.010	(0.182)
Innovation occurrence _{0_i} , 3 waves	0.174	(0.135)	0.767**	(0.200)
Innovation occurrence _{0_i} , 2 waves	0.339**	(0.070)	0.736**	(0.116)
(Sales/employee) _{t-1} , in log	0.003	(0.017)	0.009	(0.026)
(R&D/employee) _{t-1} , in log	0.027	(0.030)	0.177**	(0.047)
(D _{non-continuous R&D}) _{t-1}	-0.567**	(0.071)	-0.621**	(0.096)
Size class				
D _{# employees ≤ 50}	-0.577**	(0.134)	-0.323 [†]	(0.174)
D _{50 < # employees ≤ 250}	-0.356**	(0.102)	-0.115	(0.148)
D _{250 < # employees ≤ 500}	-0.102	(0.081)	0.198	(0.188)
Market share _{t-1} , in log	0.054*	(0.024)	0.068*	(0.030)
Share of innovative sales _t , in logit				
Share of innov. sales _{t-1} , in logit	0.109*	(0.049)	0.036	(0.044)
Share of innov. sales _{0_i} , 3 waves	0.061	(0.045)	0.141**	(0.040)
Share of innov. sales _{0_i} , 2 waves	0.180**	(0.028)	0.173**	(0.030)
(Sales/employee) _{t-1} , in log	0.005	(0.034)	0.001	(0.029)
(R&D/employee) _{t-1} , in log	0.101 [†]	(0.058)	0.256**	(0.065)
(D _{non-continuous R&D}) _{t-1}	-1.119**	(0.159)	-0.710**	(0.145)
Size class				
D _{# employees ≤ 50}	-0.502	(0.315)	-0.022	(0.277)
D _{50 < # employees ≤ 250}	-0.355 [†]	(0.210)	0.005	(0.223)
D _{250 < # employees ≤ 500}	0.108	(0.171)	0.064	(0.269)
Market share _{t-1} , in log	0.131*	(0.055)	0.081 [†]	(0.048)
Labor productivity _t : sales/employee, in log				
(Sales/employee) _{t-1} , in log	0.532**	(0.056)	0.330**	(0.066)
(Sales/employee) _{0_i} , 3 waves	0.341**	(0.056)	0.282**	(0.066)
(Sales/employee) _{0_i} , 2 waves	0.861**	(0.012)	0.594**	(0.023)
Observed innovation indicator _t	0.056	(0.042)	0.197**	(0.059)
(Investment/employee) _t , in log	0.065**	(0.006)	0.121**	(0.012)
Employment _t , in log	-0.012	(0.007)	-0.064**	(0.016)
Covariance matrix				
Individual effects				
σ _{a₁}	0.284	(0.177)	0.492**	(0.143)
σ _{a₂}	0.757**	(0.150)	0.710**	(0.185)
σ _{a₃}	0.094**	(0.025)	0.154**	(0.058)
ρ _{a₁ a₂}	0.535**	(0.170)	0.527**	(0.148)
ρ _{a₁ a₃}	0.242	(0.362)	0.055	(0.365)
ρ _{a₂ a₃}	0.271	(0.314)	0.224	(0.329)
Idiosyncratic errors				
σ _{ε₂}	2.463**	(0.083)	1.758**	(0.096)
σ _{ε₃}	0.308**	(0.008)	0.580**	(0.018)
ρ _{ε₁ ε₂}	0.99, fixed after grid search		0.95, fixed after grid search	
ρ _{ε₁ ε₃}	-0.071	(0.114)	-0.223**	(0.072)
ρ _{ε₂ ε₃}	-0.024	(0.043)	-0.128*	(0.052)
# observations	2505		1639	
Log-likelihood	-5054.238		-3925.706	

[‡]Three dummies of category of industry, a time dummy and an intercept are included in each equation.

Significance levels : [†] : 10% * : 5% ** : 1%

Table 7: FIML estimates of the model with observed innovation intensity to explain productivity: Unbalanced panel data samples from Dutch and French CIS 2, CIS 3 and CIS 4[‡]

Variable	Coefficient	(Std. Err.)	Coefficient	(Std. Err.)
	France		The Netherlands	
	Innovation occurrence _t			
Innovation occurrence _{t-1}	0.245**	(0.088)	0.014	(0.176)
Innovation occurrence _{0i} , 3 waves	0.114	(0.092)	0.760**	(0.194)
Innovation occurrence _{0i} , 2 waves	0.343**	(0.062)	0.735**	(0.115)
(Sales/employee) _{t-1} , in log	0.000	(0.016)	0.008	(0.026)
(R&D/employee) _{t-1} , in log	0.020	(0.026)	0.177**	(0.047)
(D _{non-continuous R&D}) _{t-1}	-0.433**	(0.063)	-0.608**	(0.095)
Size class				
D _{# employees ≤ 50}	-0.514**	(0.115)	-0.319 [†]	(0.173)
D _{50 < # employees ≤ 250}	-0.354**	(0.082)	-0.102	(0.148)
D _{250 < # employees ≤ 500}	-0.129 [†]	(0.069)	0.220	(0.187)
Market share _{t-1} , in log	0.069**	(0.021)	0.071*	(0.030)
Share of innovative sales _t , in logit				
Share of innov. sales _{t-1} , in logit	0.139**	(0.041)	0.044	(0.044)
Share of innov. sales _{0i} , 3 waves	0.030	(0.036)	0.130**	(0.040)
Share of innov. sales _{0i} , 2 waves	0.177**	(0.026)	0.172**	(0.030)
(Sales/employee) _{t-1} , in log	0.002	(0.031)	-0.001	(0.029)
(R&D/employee) _{t-1} , in log	0.076 [†]	(0.045)	0.262**	(0.064)
(D _{non-continuous R&D}) _{t-1}	-0.708**	(0.127)	-0.690**	(0.144)
Size class				
D _{# employees ≤ 50}	-0.213	(0.258)	0.029	(0.275)
D _{50 < # employees ≤ 250}	-0.389*	(0.170)	0.070	(0.221)
D _{250 < # employees ≤ 500}	0.001	(0.136)	0.178	(0.268)
Market share _{t-1} , in log	0.191**	(0.044)	0.098*	(0.047)
Labor productivity _t : sales/employee, in log				
(Sales/employee) _{t-1} , in log	0.420**	(0.054)	0.324**	(0.067)
(Sales/employee) _{0i} , 3 waves	0.427**	(0.053)	0.285**	(0.067)
(Sales/employee) _{0i} , 2 waves	0.836**	(0.012)	0.590**	(0.023)
Observed share of innovative sales _t	0.107**	(0.009)	0.045**	(0.012)
(Investment/employee) _t , in log	0.066**	(0.006)	0.120**	(0.012)
Employment _t , in log	-0.037**	(0.007)	-0.071**	(0.017)
Covariance matrix				
Individual effects				
σ _{a1}	0.154	(0.106)	0.494**	(0.132)
σ _{a2}	0.511**	(0.140)	0.649**	(0.207)
σ _{a3}	0.133**	(0.019)	0.157**	(0.060)
ρ _{a1 a2}	0.557**	(0.124)	0.550**	(0.139)
ρ _{a1 a3}	0.011	(0.230)	-0.002	(0.361)
ρ _{a2 a3}	0.117	(0.195)	0.120	(0.382)
Idiosyncratic errors				
σ _{ε2}	2.459**	(0.065)	1.795**	(0.098)
σ _{ε3}	0.357**	(0.012)	0.586**	(0.019)
ρ _{ε1 ε2}	0.99, fixed after grid search		0.95, fixed after grid search	
ρ _{ε1 ε3}	-0.570**	(0.042)	-0.274**	(0.076)
ρ _{ε2 ε3}	-0.691**	(0.038)	-0.259**	(0.069)
# observations	2505		1639	
Log-likelihood	-5021.290		-3923.897	

[‡]Three dummies of category of industry, a time dummy and an intercept are included in each equation.

Significance levels : [†] : 10% * : 5% ** : 1%

5.1 The effects of size, market share, R&D, physical capital and the error terms

It is first of all remarkable and comforting to notice that the results are quite consistent and robust across models. Tables 4 to 7 show that larger French manufacturing firms are more likely to be product innovators while no such evidence is found for Dutch manufacturing.¹⁴ Size does not seem to play, however, a significant role in explaining differences in innovation intensities conditional on being an innovator. For both countries, however, market share plays a positive and significant role not only in the innovation occurrence but also in the share of innovative sales: a 10% increase in market share increases the probability to innovate by 0.2% and the share of innovative sales by 1 to 2%.

In France and The Netherlands, enterprises that undertook R&D activities continuously during the previous two to four years are more likely to be product innovators and attain a larger share of innovative sales. Moreover, past R&D intensity increases both the innovation propensity (and the probability of becoming a product innovator) and intensity of the average Dutch enterprise. The estimates show that a 1% increase in R&D intensity corresponds four years later to an increase in the probability of being a product innovator of about 5%, and to an increase in the share of innovative sales (of product innovators) of about 0.2%.¹⁵ The estimates are lower for France showing that a 1% increase in R&D intensity does not significantly affect the probability to innovate four years later, although it corresponds to an increase in the share of innovative sales of about 0.1% (and significant at the 10% level). Overall our results are also consistent with a lagged impact of R&D on innovation.¹⁶

We observe a negative and statistically significant correlation, at time t , in both countries and in all specifications between the idiosyncratic error terms in the innovation and the labor productivity equations. This could correspond to the fact that, in order to innovate, enterprises may need to increase their personnel, which in the short run may lead to a decrease in labor productivity because of adjustment costs and time to learn.¹⁷

Note that the estimated elasticities of productivity with respect to labor and physical capital

¹⁴Since the reference size category consists of firms with more than 500 employees, the negative signs for the other categories indicate a positive size effect.

¹⁵The marginal effect of a regressor on the probability of the average firm to become a product innovator is obtained in the usual way, (see Greene, 2011, page 689). Furthermore, because of the logit transformation of the share of innovative sales, the R&D elasticity is obtained by multiplying the coefficient of R&D by $1 - y_{2t}$ where y_{2t} denotes the share of innovative sales in level (see Appendix C).

¹⁶To have a better appreciation of the time span between R&D investment and innovation success, we would of course need a longer and yearly panel allowing us to estimate a distributed lag model, along the lines for example of Pakes and Griliches (1980) and Hall et al. (1986) as regards R&D and patents.

¹⁷As for the correlation between the two innovation equations, $\rho_{\epsilon_1 \epsilon_2}$, the log-likelihood values tended to be the highest for values around 0.95 for The Netherlands and 1 for France, which lead us to fix these values in the estimation.

shown in Tables 4 to 7 are also all statistically significant and their orders of magnitude are not unreasonable. In other words, we find decreasing elasticities of scale by slightly less than 5% in French manufacturing and slightly more in Dutch manufacturing, and elasticities for physical capital on the low side, especially for France, which could be expected since capital is proxied by investment.

In order to capture enterprises' unobserved ability to be innovative and productive we account for individual effects in each equation of the model. Likelihood ratio (LR) tests suggest that they have indeed to be taken into account as the specifications assuming their absence in the model are rejected at the 1% significance level.¹⁸

5.2 The effects of innovation output on labor productivity

Table 8 compares the four sets of estimated elasticities and semi-elasticities of labor productivity with respect to innovation from Tables 4 to 7, and presents tests on their equality across the two countries and on whether the models with latent and observed innovation output as a predictor of labor productivity are equally close to the 'true' unknown model. All these elasticities are positive and highly statistically significant except in the case of the observed innovation indicator for France.

We can make more precisely the following remarks. Firstly, these estimates appear statistically different across countries only in the specification with observed innovation. A product innovator has on average a 20% higher labor productivity than a non-innovator in Dutch manufacturing and a 6% higher labor productivity in French manufacturing. By contrast, in French manufacturing a 1% increase in the share of innovative sales raises labor productivity on average by 0.12%, compared to 0.05% in Dutch manufacturing. Labor productivity is more responsive to increases in product innovation in French than in Dutch manufacturing enterprises.

Secondly, using [Vuong's \(1989\)](#) LR test for non-nested hypotheses, we conclude that the models, with respectively latent and observed innovation output as a predictor of labor productivity, are equally close to the 'true' unknown model. This result contrasts with that of [Duguet \(2006\)](#) who used a similar test by [Davidson and MacKinnon \(1981\)](#) to conclude that observed innovation is a better predictor of TFP growth than latent innovation. A likely reason for the difference may be that the two-step estimation procedure used by [Duguet \(2006\)](#) ignores the correlation between the errors in the innovation and productivity equations.

As stressed in [Mairesse et al. \(2005\)](#), the important point is that the estimates of innovation output in the productivity equation are significant only when the endogeneity of innovation is taken into account, and this is also what appears here. When innovation is treated as exogenous

¹⁸To save space, the results of the LR tests are not reported but can be obtained upon request.

in the productivity equation, the semi-elasticity of labor productivity with respect to becoming an innovator drops from 20% to 4% and becomes statistically insignificant in Dutch manufacturing, and the elasticity of labor productivity with respect to the observed share of innovative sales decreases from 0.12% to 0.01% in French manufacturing (results not tabulated but available upon request). In our paper, the endogeneity of the innovation output regressor in the labor productivity equation operates in both types of models largely through the covariance matrices of the individual effects on the one hand and the idiosyncratic errors on the other hand. The correlations between innovation output and labor productivity, $\rho_{\varepsilon_1\varepsilon_3}$ and $\rho_{\varepsilon_2\varepsilon_3}$, are in general statistically significant. The null hypothesis of exogeneity of the innovation output regressor in the labor productivity equation is clearly rejected at any conventional significance level using a Wald or an LR test.

Table 8: Elasticities and semi-elasticities of labor productivity with respect to innovation[†]

I) Measures of innovation output	France		The Netherlands		Test of equality	
	Slope	(Std. Err.)	Slope	(Std. Err.)	z	p-value
Latent innovation to explain labor productivity						
1) Latent innovation propensity	0.074**	(0.020)	0.121**	(0.029)	1.316	0.188
2) Latent share of innov. sales	0.049**	(0.011)	0.099**	(0.026)	1.800	0.072
Observed innovation to explain labor productivity						
1) Observed innovation indicator	0.056	(0.042)	0.197**	(0.059)	1.956*	0.050
2) Observed share of innov. sales	0.122**	(0.010)	0.054**	(0.014)	3.993**	0.000
II) Vuong's LR test	France		The Netherlands			
	z	p-value	z	p-value		
Latent 1) vs observed 1)	1.252	0.211	1.391	0.164		
Latent 2) vs observed 2)	0.838	0.402	0.323	0.746		

[†]I) The z-statistic is computed as the ratio of the difference of the elasticities across countries, assuming independence between them, over the standard error of that difference. II) The non-nested null hypothesis of the test is H0: both models are as close to the 'true' model. The resulting z-statistic is computed as $z = [\ln l_1 - \ln l_2 - \ln obs(k_1 - k_2)/2] / [obs \times var(\ln l_{1i} - \ln l_{2i})]^{1/2}$, where *obs* is the number of observations, k_j ($j=1,2$) the number of parameters and *var()* is the sample variance of the difference in the pointwise log-likelihoods of both models.

Significance levels : * : 5% ** : 1%.

5.3 The dynamics of innovation and productivity

Persistence in innovation

In order to assess true persistence, as defined in the econometric literature on panel data, it is important to take care of individual effects and initial conditions (Hsiao, 2003). In our case, given that our panels are unbalanced with two or three consecutive observations by firm, we have an additional difficulty disentangling the effect of the lagged dependent variable and of the initial conditions. Indeed the initial values of the dependent variable on which we must project the individual effects corresponds to a two-period lag for enterprises that are present in all three periods but only to a one period lag for those that are present in two adjacent periods. For the

latter, the lagged dependent variable is the same as the initial value and therefore the associated coefficient picks up the sum of the two effects. Without imposing this constraint, we notice that, as expected, the coefficient of the initial value for the 2-wave unbalanced panel is practically equal to the sum of the initial value for the 3-wave balanced panel and the one period lagged effect.

As can be seen in Tables 4 to 7, our results show no evidence of true persistence in product innovation in Dutch manufacturing neither for the occurrence indicator nor the intensity variable. In other words, once individual effects and the occurrence and the intensity of innovation at the initial period are controlled for, achieving successful innovations in Dutch manufacturing and generating innovative sales are no longer time dependent. In contrast, our estimates for French manufacturing (at least in the innovation intensity) support the ‘success breeds success’ idea. This evidence remains, however, weak as the one-period lagged innovation is less influential than the fixed effects as projected on innovations in the initial period.

Persistence in productivity

For both countries we find very strong evidence of true persistence of labor productivity. Even after controlling for individual effects and initial productivity, one period lagged productivity conditions current productivity. Although fairly robust given the limitations of our panel data, our differing results for persistence in innovation and productivity could be due to errors of specification in our models, such as large random errors in the innovation measures or important missing factors in the productivity equation, for example skills, management practices and organizational characteristics.¹⁹

Causality

In both countries, there is clear evidence of a unidirectional causality running from innovation to labor productivity during the period under study. In other words, four-year lagged R&D has a positive and significant effect on current innovation output, which itself is positively and significantly affected by past innovation output, mostly through innovation output in the initial period, and has a positive and significant effect on labor productivity. The lagged feedback effect of labor productivity on innovation is not economically nor statistically significant. This result suggests that the most productive enterprises at period $t - 1$ do not necessarily invest more in R&D at period t .²⁰ Such finding of unidirectional causality seems to be new in the empirical literature. It is robust across the four specifications and for the two countries.

¹⁹Since we rely on a revenue measure of productivity because of unavailable output price information at the firm level, the persistence in productivity can also reflect persistence in firm market power.

²⁰Estimation results from regressions explaining R&D at period t by productivity at period $t - 1$ are not reported but can be obtained upon request.

Furthermore, as can be seen from the estimates documented in Appendix D, enterprises that were four years earlier closer to the technological frontier, defined in terms of labor productivity, are not more successful in achieving innovations and do not attain a larger share of innovative sales. This confirms the absence of a feedback effect of labor productivity on innovation. Indeed, in the presence of such a feedback effect, the distance to the frontier dummies should capture indirect effects of labor productivity, and hardly any of them is significant.

6 Conclusion

We have in this study examined whether French and Dutch manufacturing firms display persistence in innovation and productivity, whether innovation Granger causes productivity or whether the reverse holds, whether the dynamics in the R&D-innovation-productivity relationship differs between French and Dutch manufacturing firms, and finally whether models with observed or latent, qualitative or quantitative, innovation indicators yield different estimation results. To do so, we have used unbalanced panels of French and Dutch manufacturing firms resulting from three waves of the respective Community Innovation Surveys. With few exceptions, the results we obtain are not very different for the two countries and are robust to various specifications of the innovation-productivity relationship. As in many related studies based on cross-sectional firm data, we find that R&D activities undertaken continuously during the previous two to four years, and the intensity of such activities, affect significantly the occurrence and the intensity of product innovations. We find weak, if any, evidence of persistence in product innovation, but strong evidence of persistence in labor productivity levels. Both the occurrence and the intensity of product innovation play an important role in enhancing firm labor productivity. Past productivity does not, however, affect product innovation significantly. Thus, our results provide evidence of a unidirectional causality running from innovation to productivity, without a feedback effect, and of a strong persistence in productivity but not in innovation. Our results are robust to different ways of modeling and estimating and hold for both countries.

In order to assess the generality of the result, it would be interesting to estimate the same model on more country data and longer periods, which will become possible with additional waves of innovation surveys in many countries. With the decision, at least in the European Union, to hold innovation surveys every two years, it would be worthwhile in the future to re-estimate this model with shorter lags (two years instead of four) and see whether the conclusions regarding the dynamics of innovation still hold. Productivity could also be due to process innovation. The introduction of process (and possibly other forms of) innovation would require one or more additional equations,

a challenging but not impossible task.

Appendix A Three-stage Gauss-Hermite quadrature

The trivariate normal density function of the structural form projection errors, a_{1i} , a_{2i} and a_{3i} , denoted by $h_3(a_{1i}, a_{2i}, a_{3i}|\dots)$, is written as

$$h_3(a_{1i}, a_{2i}, a_{3i}|\dots) = \Gamma e^{\frac{-1}{2} \left(\Lambda_{11} \frac{a_{1i}^2}{\sigma_{a_1}^2} + 2\Lambda_{12} \frac{a_{1i}}{\sigma_{a_1}} \frac{a_{2i}}{\sigma_{a_2}} + 2\Lambda_{13} \frac{a_{1i}}{\sigma_{a_1}} \frac{a_{3i}}{\sigma_{a_3}} + 2\Lambda_{23} \frac{a_{2i}}{\sigma_{a_2}} \frac{a_{3i}}{\sigma_{a_3}} + \Lambda_{22} \frac{a_{2i}^2}{\sigma_{a_2}^2} + \Lambda_{33} \frac{a_{3i}^2}{\sigma_{a_3}^2} \right)}, \quad (\text{A.1})$$

where

$$\Gamma = (\sigma_{a_1} \sigma_{a_2} \sigma_{a_3})^{-1} (2\pi)^{\frac{-3}{2}} (\Delta)^{\frac{-1}{2}}, \quad (\text{A.2})$$

and the expressions of Δ and Λ_{kl} ($k, l = 1, 2, 3$; $\Lambda_{kl} = \Lambda_{lk}$) are given by

$$\begin{aligned} \Delta &= 1 - \rho_{a_1 a_2}^2 - \rho_{a_1 a_3}^2 - \rho_{a_2 a_3}^2 + 2\rho_{a_1 a_2} \rho_{a_1 a_3} \rho_{a_2 a_3}, \\ \Lambda_{11} &= \frac{1 - \rho_{a_2 a_3}^2}{\Delta}, \quad \Lambda_{12} = \frac{\rho_{a_1 a_3} \rho_{a_2 a_3} - \rho_{a_1 a_2}}{\Delta}, \\ \Lambda_{22} &= \frac{1 - \rho_{a_1 a_3}^2}{\Delta}, \quad \Lambda_{23} = \frac{\rho_{a_1 a_2} \rho_{a_1 a_3} - \rho_{a_2 a_3}}{\Delta}, \\ \Lambda_{33} &= \frac{1 - \rho_{a_1 a_2}^2}{\Delta}, \quad \Lambda_{13} = \frac{\rho_{a_1 a_2} \rho_{a_2 a_3} - \rho_{a_1 a_3}}{\Delta}. \end{aligned} \quad (\text{A.3})$$

The trivariate density expression of the reduced-form projection errors is written straightforwardly by replacing a_{3i} , σ_{a_3} , $\rho_{a_1 a_3}$ and $\rho_{a_2 a_3}$ by their underlined counterparts, hence the expressions of $\underline{\Delta}$ and $\underline{\Lambda}_{kl}$ ($\underline{\Lambda}_{kl} = \underline{\Lambda}_{lk}$).

Let us rewrite l_1 (eq. (3.16)) as

$$l_1 = \prod_{i=1}^N \int_{\underline{a_{3i}}} G_1(\underline{a_{3i}}|\dots) \prod_{t=0_i+1}^{T_i} \frac{1}{\underline{\sigma_{\varepsilon_3}}} \phi_1 \left(\frac{y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a_{3i}}}{\underline{\sigma_{\varepsilon_3}}} \right) H_1(\underline{a_{3i}}|\dots) d\underline{a_{3i}}, \quad (\text{A.4})$$

where $G_1(\underline{a_{3i}}|\dots)$ and $H_1(\underline{a_{3i}}|\dots)$ are functions of the sole projection error $\underline{a_{3i}}$. $G_1(\underline{a_{3i}}|\dots)$ is derived from the trivariate density of the reduced-form projection errors and is equal to $e^{\frac{-1}{2} (\underline{\Lambda}_{33} \frac{a_{3i}^2}{\sigma_{a_3}^2} + \dots)}$ with $\underline{\Lambda}_{kl}$ obtained from equation (A.3), and $H_1(\underline{a_{3i}}|\dots)$ is given by

$$\begin{aligned} H_1(\underline{a_{3i}}|\dots) &= \int_{a_{2i}} G_2(a_{2i}, \underline{a_{3i}}|\dots) \prod_{t=0_i+1}^{T_i} \left[\sigma_{\varepsilon_2}^{-1} \left(1 - \rho_{\varepsilon_2 \varepsilon_3}^2 \right)^{\frac{-1}{2}} \right] \\ &\quad \phi_1 \left(\frac{y_{2it} - A_{2it} - a_{2i} - \frac{\rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2}}{\sigma_{\varepsilon_3}} (y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a_{3i}})}{\sigma_{\varepsilon_2} \sqrt{1 - \rho_{\varepsilon_2 \varepsilon_3}^2}} \right) H_2(a_{2i}, \underline{a_{3i}}|\dots) da_{2i}. \end{aligned} \quad (\text{A.5})$$

$G_2(a_{2i}, \underline{a_{3i}}|\dots)$ is also derived from the trivariate density of the reduced-form projection errors. It

is equal to $e^{\frac{-1}{2}(\Lambda_{22}a_{2i}^2\sigma_{a_2}^{-2})-\Lambda_{23}a_{2i}\sigma_{a_2}^{-1}\underline{a_{3i}}\sigma_{a_3}^{-1}}$, and $H_2(a_{2i}, \underline{a_{3i}}|\dots)$ is written as

$$H_2(a_{2i}, \underline{a_{3i}}|\dots) = \int_{a_{1i}} G_3(a_{1i}, a_{2i}, \underline{a_{3i}}|\dots) \prod_{t=0_i+1}^{T_i} \left[\Phi_1 \left(\frac{-A_{1it} - a_{1i} - \rho_{\varepsilon_1\varepsilon_3} \frac{\sigma_{\varepsilon_3}^{-1}(y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a_{3i}})}{\sqrt{1 - \rho_{\varepsilon_1\varepsilon_3}^2}} \right) \right]^{1-y_{1it}} \\ \left[\Phi_1 \left(\frac{A_{1it} + a_{1i} + \rho_{12,3} \sigma_{\varepsilon_2}^{-1}(y_{2it} - A_{2it} - a_{2i}) + \rho_{13,2} \frac{\sigma_{\varepsilon_3}^{-1}(y_{3it} - A_{3it} - \gamma_1 A_{1it} - \underline{a_{3i}})}{\sqrt{1 - R_{1,23}^2}} \right) \right]^{y_{1it}} da_{1i}, \quad (\text{A.6})$$

with $G_3(a_{1i}, a_{2i}, \underline{a_{3i}}|\dots)$ equal to $e^{\frac{-1}{2}(\Lambda_{11}a_{1i}^2\sigma_{a_1}^{-2})-\Lambda_{12}a_{1i}\sigma_{a_1}^{-1}a_{2i}\sigma_{a_2}^{-1}-\Lambda_{13}a_{1i}\sigma_{a_1}^{-1}\underline{a_{3i}}\sigma_{a_3}^{-1}}$. The three-stage quadrature approach consists in approximating the single integral in equation (A.6) using the formula of equation (3.18) after making an appropriate variable change. Then, $H_2(a_{2i}, \underline{a_{3i}}|\dots)$ is replaced by the resulting approximated expression into equation (A.5). A second approximation is carried out for the single integral of equation (A.5) using the same formula. We then plug the resulting expression of $H_1(\underline{a_{3i}}|\dots)$ into equation (A.4) and apply again the quadrature formula, hence the final expression of l_1 (see equation (3.19)).

The performance of the Gauss-Hermite quadrature is worth mentioning. It is known to be inaccurate if the panel size, T_i , or intraclass correlation, also known as equicorrelation, is large.²¹ For instance, Rabe-Hesketh et al. (2005) show that, in the context of a random-effect probit, the quadrature yields biased estimates when $T_i = 10$ with an equicorrelation of 0.9, or for any equicorrelation greater than or equal to 0.45 when $T_i = 100$ (see also Lee, 2000). However, Raymond (2007, chapter 3) shows that the quadrature works very well in the context of dynamic sample selection models with a panel of small size ($T_i = 4$) and equicorrelation between 0.3 and 0.5, the latter range being that of the equicorrelation when these models are estimated on the Dutch innovation survey data. Thus, we expect the quadrature to produce accurate estimates.²² Evidently, we would need to carry out Monte Carlo analyses that use our nonlinear dynamic simultaneous equations models as a benchmark in order to assess the extent of the accuracy of the quadrature in these models. This is beyond the scope of our analysis and is left for future research.

Appendix B Models with y_{2it}^* or y_{2it} as a predictor of labor productivity

Model with latent share of innovative sales

²¹In the context of panel data, the intraclass correlation is a special form of serial correlation. It is defined as $\frac{\sigma_{a_j}^2}{\sigma_{a_j}^2 + \sigma_{\varepsilon_j}^2}$ ($j = 1, 2, 3$).

²²The equicorrelation is about 0.1 when the dynamic sample selection models are estimated on the French innovation survey data. Thus, the poor performance of the Gauss-Hermite quadrature is even less of an issue.

The model with latent share of innovative sales as a predictor of labor productivity consists of equations (2.1)-(2.4) and (2.5a) with $j = 2$ in equation (2.5a). These equations constitute the structural form of the model. The reduced-form equations are given by equations (2.1)-(2.4) and

$$y_{3it} = \vartheta_{33}y_{3i,t-1} + \beta'_3 \mathbf{x}_{3it} + \gamma_2 [\vartheta_{22}y_{2i,t-1} + \vartheta_{23}y_{3i,t-1} + \beta'_2 \mathbf{x}_{2it}] + \underbrace{\gamma_2 \alpha_{2i} + \alpha_{3i}}_{\alpha_{3i}} + \underbrace{\gamma_2 \varepsilon_{2it} + \varepsilon_{3it}}_{\varepsilon_{3it}}, \quad (\text{B.1})$$

where y_{2it}^* has been replaced by its right-hand side expression of equation (2.3). The relations between the underlined components of $\underline{\Sigma}_\varepsilon$ and $\underline{\Sigma}_a$ and the structural counterparts become

$$\underline{\sigma_{\varepsilon_3}^2} = \gamma_2^2 \sigma_{\varepsilon_2}^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_2 \rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2} \sigma_{\varepsilon_3}, \quad \underline{\sigma_{a_3}^2} = \gamma_2^2 \sigma_{a_2}^2 + \sigma_{a_3}^2 + 2\gamma_2 \rho_{a_2 a_3} \sigma_{a_2} \sigma_{a_3}, \quad (\text{B.2a})$$

$$\underline{\rho_{\varepsilon_1 \varepsilon_3}} = \frac{\gamma_2 \rho_{\varepsilon_1 \varepsilon_2} \sigma_{\varepsilon_2} + \rho_{\varepsilon_1 \varepsilon_3} \sigma_{\varepsilon_3}}{(\gamma_2^2 \sigma_{\varepsilon_2}^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_2 \rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2} \sigma_{\varepsilon_3})^{\frac{1}{2}}}, \quad \underline{\rho_{a_1 a_3}} = \frac{\gamma_2 \rho_{a_1 a_2} \sigma_{a_2} + \rho_{a_1 a_3} \sigma_{a_3}}{(\gamma_2^2 \sigma_{a_2}^2 + \sigma_{a_3}^2 + 2\gamma_2 \rho_{a_2 a_3} \sigma_{a_2} \sigma_{a_3})^{\frac{1}{2}}}, \quad (\text{B.2b})$$

$$\underline{\rho_{\varepsilon_2 \varepsilon_3}} = \frac{\gamma_2 \sigma_{\varepsilon_2} + \rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_3}}{(\gamma_2^2 \sigma_{\varepsilon_2}^2 + \sigma_{\varepsilon_3}^2 + 2\gamma_2 \rho_{\varepsilon_2 \varepsilon_3} \sigma_{\varepsilon_2} \sigma_{\varepsilon_3})^{\frac{1}{2}}}, \quad \underline{\rho_{a_2 a_3}} = \frac{\gamma_2 \sigma_{a_2} + \rho_{a_2 a_3} \sigma_{a_3}}{(\gamma_2^2 \sigma_{a_2}^2 + \sigma_{a_3}^2 + 2\gamma_2 \rho_{a_2 a_3} \sigma_{a_2} \sigma_{a_3})^{\frac{1}{2}}}. \quad (\text{B.2c})$$

The likelihood function of this model is similar to l_1 except that $\gamma_1 A_{1it}$ is replaced by $\gamma_2 A_{2it}$ where A_{2it} is defined in equation (3.11a). The FIML estimates of the structural parameters are obtained by maximizing the log-likelihood subject to the constraints (B.2a)-(B.2c) in lieu of (3.7a)-(3.7c).

Model with observed share of innovative sales

The model with observed share of innovative sales as a predictor of labor productivity consists of equations (2.1)-(2.4) and (2.5b) with $j = 2$ in equation (2.5b). The likelihood function of this model is similar to l_1 except that the underlined parameters are replaced by their non-underlined equivalents and that $\gamma_1 A_{1it}$ is replaced by $\gamma_2 y_{2it}$. The FIML estimates of the structural parameters of this model are obtained by maximizing the log-likelihood with no additional constraints.

Appendix C Elasticity of labor productivity with respect to the share of innovative sales

Let the productivity equation be written as

$$\ln(y_{3t}) = \gamma_2 \text{logit}(y_{2t}) + \dots + \varepsilon_{3t}, \quad (\text{C.1})$$

where y_{3t} denotes productivity, y_{2t} denotes the share of innovative sales and $\text{logit}(y_{2t}) = \ln\left(\frac{y_{2t}}{1-y_{2t}}\right)$.²³

The elasticity of productivity with respect to the share of innovative sales, denoted by $El_{y_{3t}, y_{2t}}$, is

²³For simplicity in the notation, we discard the firm subscript i , the other regressors and the individual effects.

by definition $\partial \ln(y_{3t})/\partial \ln(y_{2t})$ and is derived as

$$El_{y_{3t}, y_{2t}} = \frac{\partial \ln(y_{3t})}{\partial \text{logit}(y_{2t})} \frac{\partial \text{logit}(y_{2t})}{\partial \ln(y_{2t})} = \gamma_2 \frac{\partial \text{logit}(y_{2t})}{\partial \ln(y_{2t})}.$$

By making the variable change $v_{2t} = \ln(y_{2t})$ and writing

$$\text{logit}(y_{2t}) = v_{2t} - \ln[1 - e^{v_{2t}}], \quad (\text{C.2})$$

we can derive $\partial \text{logit}(y_{2t})/\partial \ln(y_{2t})$ as

$$\frac{\partial \text{logit}(y_{2t})}{\partial \ln(y_{2t})} = \frac{\partial \text{logit}(y_{2t})}{\partial v_{2t}} = \frac{1}{1 - e^{v_{2t}}} = \frac{1}{1 - y_{2t}}. \quad (\text{C.3})$$

The elasticity of productivity with respect to the share of innovative sales is then written as

$$El_{y_{3t}, y_{2t}} = \frac{\gamma_2}{1 - y_{2t}} \quad (\text{C.4})$$

and is to be evaluated at values of interest (e.g. sample mean) of the share of innovative sales (in level). When the latent share of innovative sales enters the productivity equation, we evaluate this elasticity at predicted values of interest of the latent share of innovative sales.

Since $El_{y_{3t}, y_{2t}}$ is a linear function of γ_2 , the standard error of the estimated elasticity is straightforwardly obtained as

$$S.E.(\widehat{El}_{y_{3t}, y_{2t}}) = \frac{S.E.(\widehat{\gamma}_2)}{1 - y_{2t}}. \quad (\text{C.5})$$

Appendix D FIML estimates with y_{1it}^* in the labor productivity equation and distance to frontier regressors

The notion of technological frontier is mostly used in the macroeconomic literature on growth convergence. Among various testable hypotheses one is that innovation becomes more important as an economy approaches the world technology frontier (see e.g. [Acemoglu et al., 2003, 2006](#)). We can identify in each 3-digit industry the enterprise with the largest productivity and then define for each enterprise a technology gap variable as the difference between the largest productivity within each 3-digit industry and the productivity of the enterprise belonging to that industry. Then, looking at the distribution (within each industry) of the technology gap variable, we define

Table 9: FIML estimates of the model with latent innovation propensity to explain productivity and with distance to frontier regressors: Unbalanced panel from Dutch and French CIS 2, CIS 3 and CIS 4[‡]

Variable	Coefficient (Std. Err.)		Coefficient (Std. Err.)	
	France		The Netherlands	
	Innovation occurrence _t			
Innovation occurrence _{t-1}	0.182 [†]	(0.109)	0.063	(0.165)
Innovation occurrence _{0_i} , 3 waves	0.176	(0.112)	0.710**	(0.186)
Innovation occurrence _{0_i} , 2 waves	0.352**	(0.062)	0.693**	(0.097)
Distance to frontier				
(DQ ₂) _{t-1}	0.050	(0.079)	0.045	(0.108)
(DQ ₃) _{t-1}	0.040	(0.082)	0.063	(0.108)
(DQ ₄) _{t-1}	0.089	(0.090)	0.126	(0.116)
(R&D/employee) _{t-1} , in log	0.029	(0.028)	0.177**	(0.045)
(D _{non-continuous R&D}) _{t-1}	-0.519**	(0.072)	-0.588**	(0.093)
Size class				
D _{# employees ≤ 50}	-0.447**	(0.130)	-0.261	(0.169)
D _{50 < # employees ≤ 250}	-0.337**	(0.090)	-0.034	(0.143)
D _{250 < # employees ≤ 500}	-0.099	(0.076)	0.328 [†]	(0.182)
Market share _{t-1} , in log	0.085**	(0.027)	0.090**	(0.030)
	Share of innovative sales _t , in logit			
Share of innov. sales _{t-1} , in logit	0.116*	(0.049)	0.046	(0.043)
Share of innov. sales _{0_i} , 3 waves	0.057	(0.046)	0.130**	(0.040)
Share of innov. sales _{0_i} , 2 waves	0.185**	(0.026)	0.171**	(0.027)
Distance to frontier				
(DQ ₂) _{t-1}	0.376*	(0.176)	0.006	(0.175)
(DQ ₃) _{t-1}	0.112	(0.182)	0.019	(0.176)
(DQ ₄) _{t-1}	0.200	(0.202)	-0.124	(0.190)
(R&D/employee) _{t-1} , in log	0.111 [†]	(0.058)	0.256**	(0.065)
(D _{non-continuous R&D}) _{t-1}	-1.065**	(0.157)	-0.695**	(0.143)
Size class				
D _{# employees ≤ 50}	-0.274	(0.309)	0.036	(0.275)
D _{50 < # employees ≤ 250}	-0.340 [†]	(0.198)	0.068	(0.222)
D _{250 < # employees ≤ 500}	0.127	(0.166)	0.146	(0.269)
Market share _{t-1} , in log	0.171**	(0.060)	0.085 [†]	(0.050)
	Labor productivity _t : sales/employee, in log			
(Sales/employee) _{t-1} , in log	0.531**	(0.056)	0.324**	(0.066)
(Sales/employee) _{0_i} , 3 waves	0.337**	(0.056)	0.280**	(0.066)
(Sales/employee) _{0_i} , 2 waves	0.857**	(0.012)	0.587**	(0.024)
Latent innovation propensity _t	0.080**	(0.021)	0.124**	(0.029)
(Investment/employee) _t , in log	0.065**	(0.006)	0.119**	(0.012)
Employment _t , in log	-0.029**	(0.009)	-0.083**	(0.018)
# observations	2505		1639	
Log-likelihood	-5045.059		-3918.637	

[‡]Three dummies of category of industry, a time dummy and an intercept are included in each equation. To save space, the covariance matrix of the individual effects and the error terms are not reported. Significance levels : † : 10% * : 5% ** : 1%

three dummy variables DQ₂, DQ₃ and DQ₄ which take the value one if the technology gap lies respectively between the first (>) and second quartile (≤), the second (>) and the third quartile (≤), and above (>) the third quartile. The dummy variable DQ₁, which takes the value one if the technology gap lies below or at the first quartile, is used as the reference. Firms for which DQ₁ is equal to one are the closest to the technological frontier. If the above-mentioned hypothesis is satisfied, we expect the effects of DQ₂, DQ₃ and DQ₄ to be negative and statistically significant.

We consider the lagged values of the dummy variables in the estimation for the same reason as for the market share regressor. Furthermore, these dummy variables capture not only the distance to technological frontier but also a type of (indirect) feedback effect of productivity on innovation. As a result, in order to avoid multicollinearity problems, whenever these dummy variables are included in the estimation, the above-mentioned feedback effect of productivity is ignored, i.e. we assume $\vartheta_{13} = \vartheta_{23} = 0$.

Since the results with the distance to frontier regressors are very similar across model specifications, we report them only for the model with the innovation propensity as a predictor of labor productivity (see Table 9). In other words, we still observe a unidirectional causality running from innovation to productivity with the lagged distance to frontier dummies being insignificant. The remaining estimation results can be obtained upon request.

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